

Dark Energy, Weak Lensing, and Galaxy Formation

Andrew R. Zentner



University of Pittsburgh



Collaborators

- Douglas Rudd (IAS)



Andrey Kravtsov (Chicago)

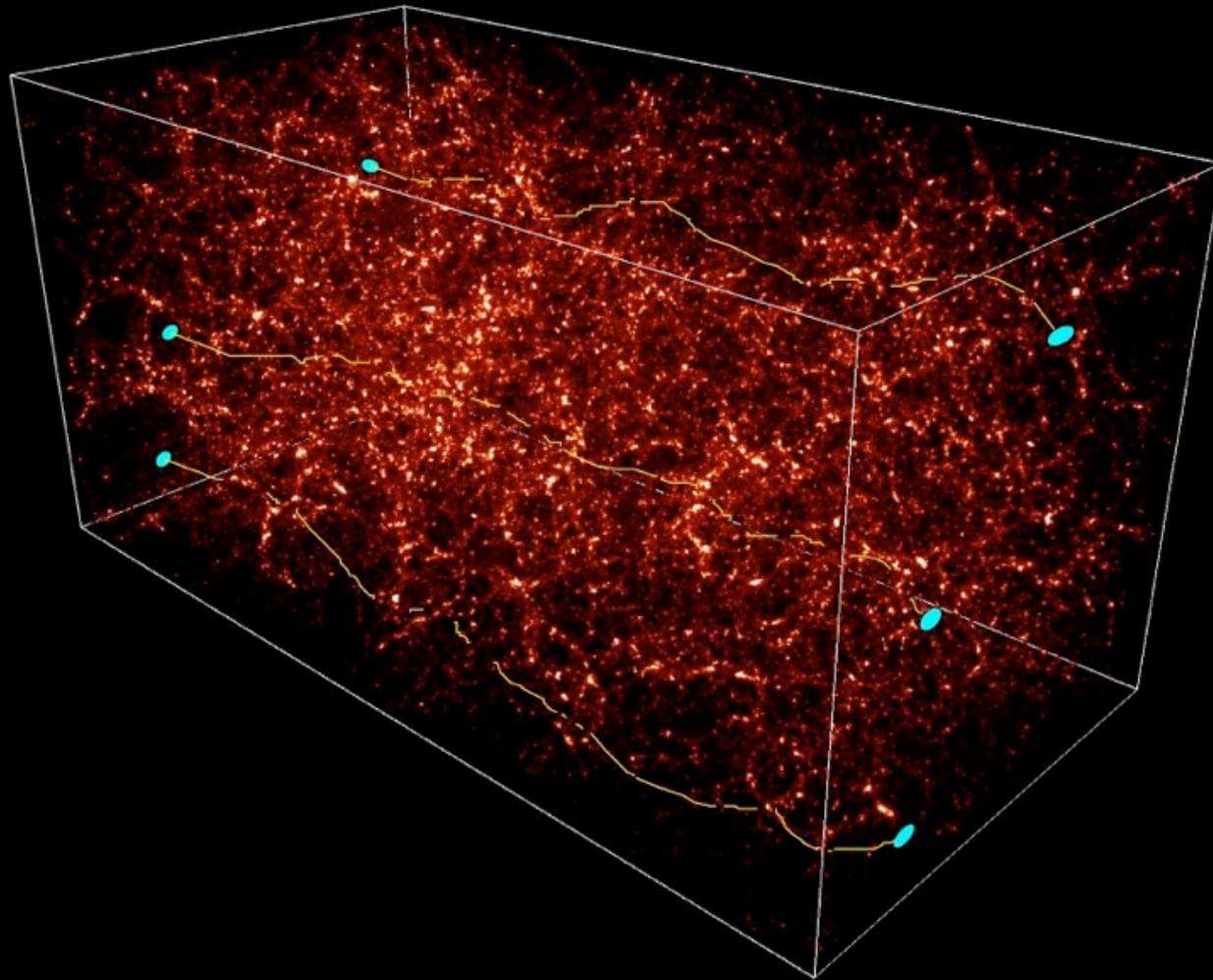
- Wayne Hu (Chicago)



Based on [arXiv:astro-ph/0703741](https://arxiv.org/abs/astro-ph/0703741) and [arXiv:0709.4029](https://arxiv.org/abs/0709.4029)

Weak Lensing

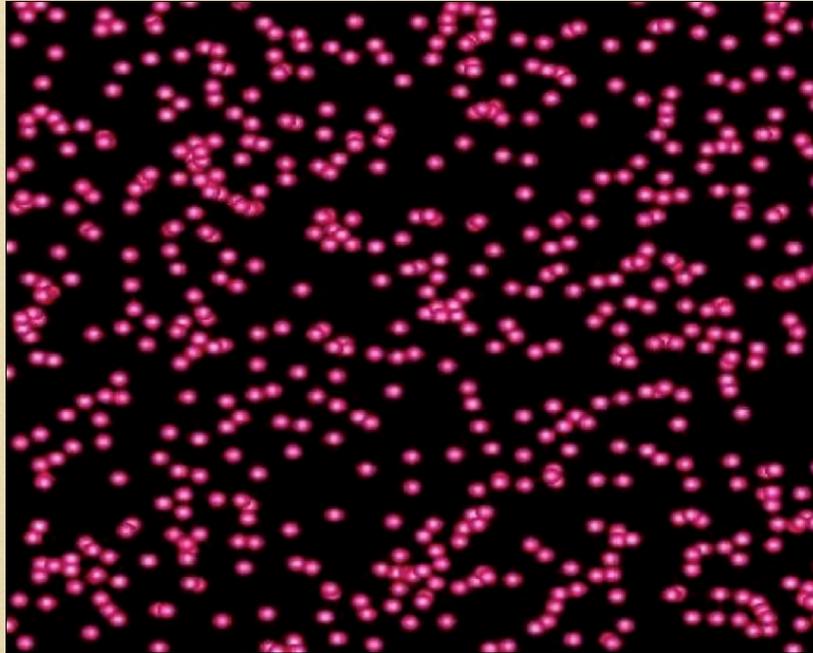
DEFLECTION OF LIGHT RAYS CROSSING THE UNIVERSE, EMITTED BY DISTANT GALAXIES



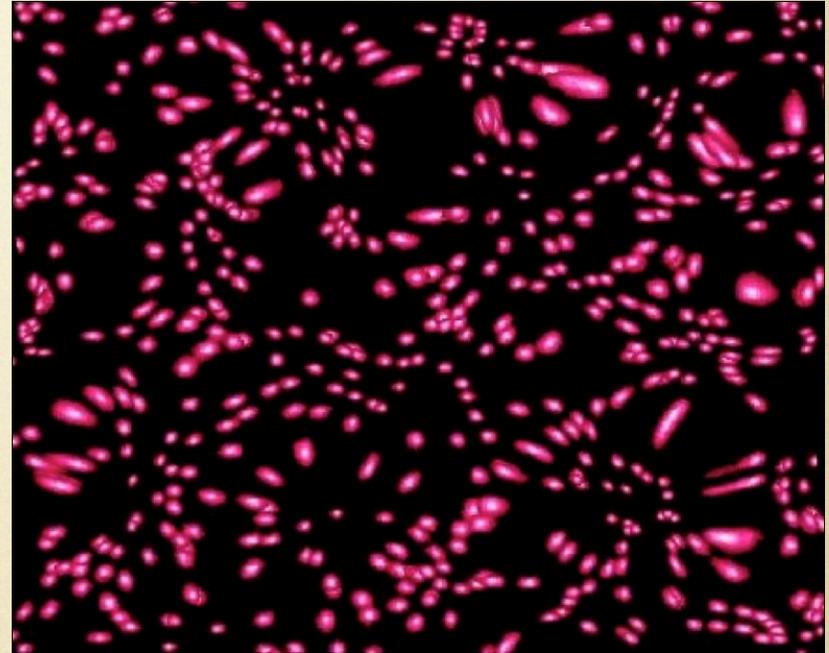
SIMULATION: COURTESY NIC GROUP, S. COLOMBI, IAP.

Cosmic Shear

http://aether.lbl.gov/Weak_Lensing



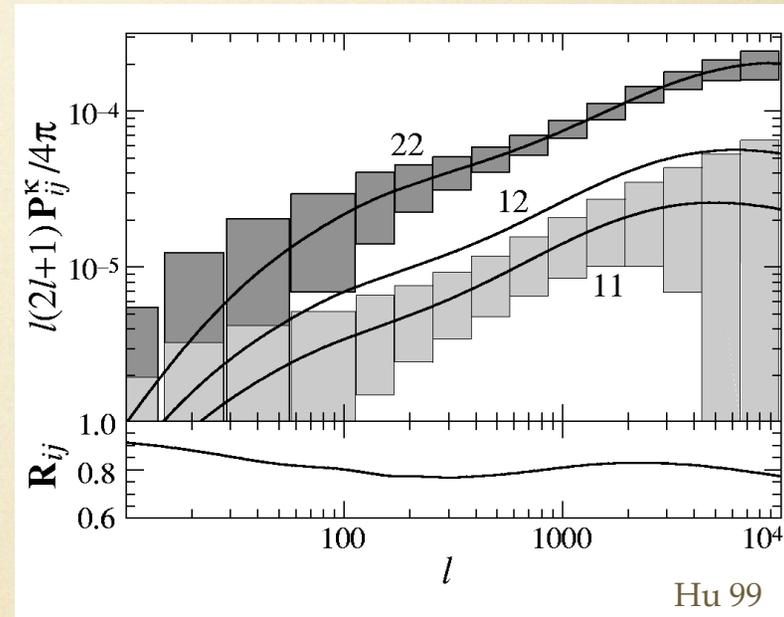
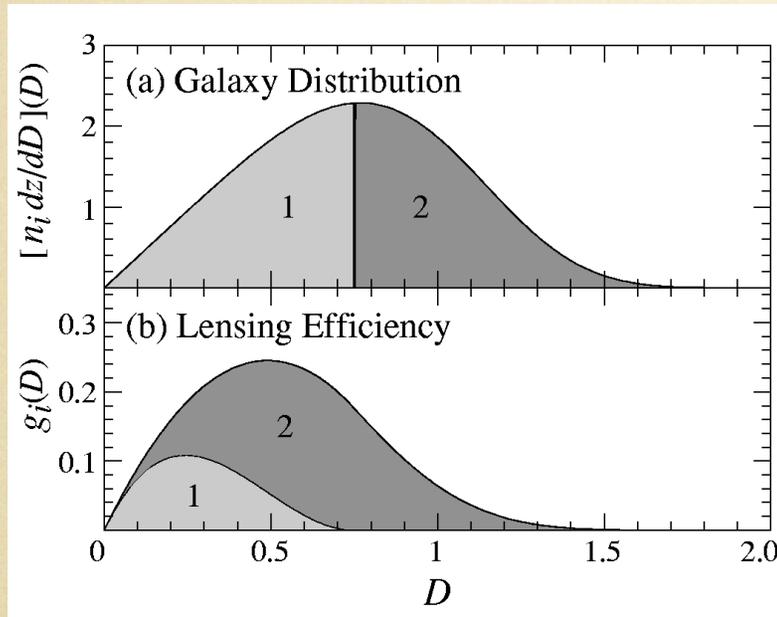
intrinsic sources



lensed

- The lensing manifests as correlated distortions of galaxy ellipticities

Convergence Spectra

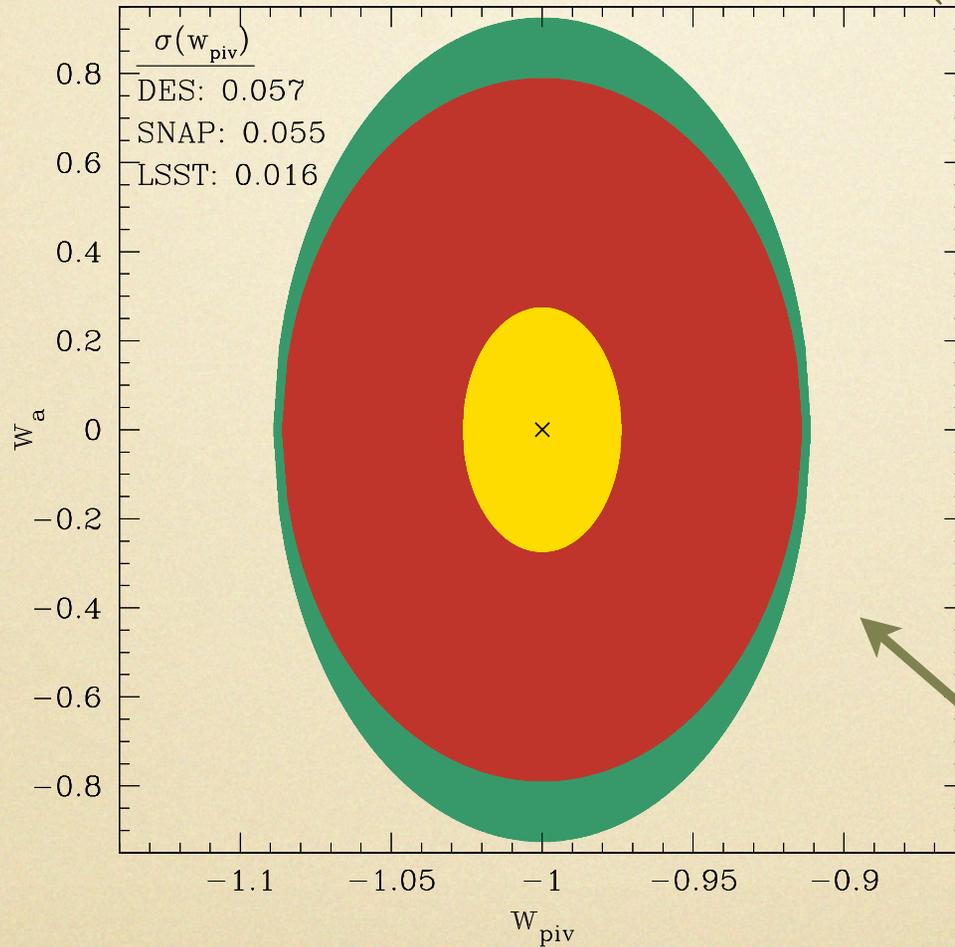


- Convergence power spectra are standard observables and can constrain dark energy
- Tomography refers to the use of multiple source samples to obtain distance/redshift information

A Standard DE Forecast

$$w(a) = w_0 + (1-a)w_a$$

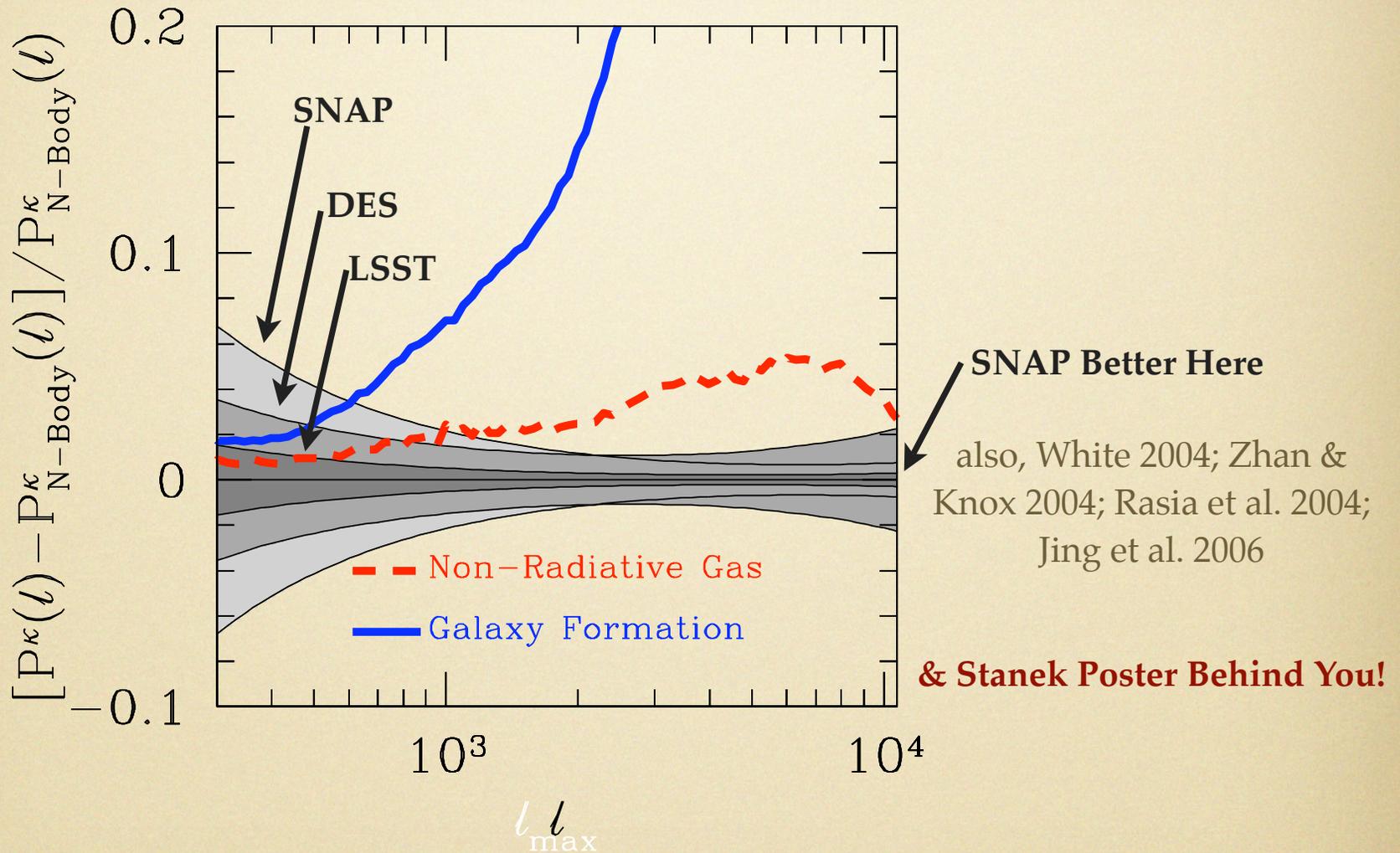
First order evolution
with scale factor



from WL only!

$w(a)$ at pivot scale factor

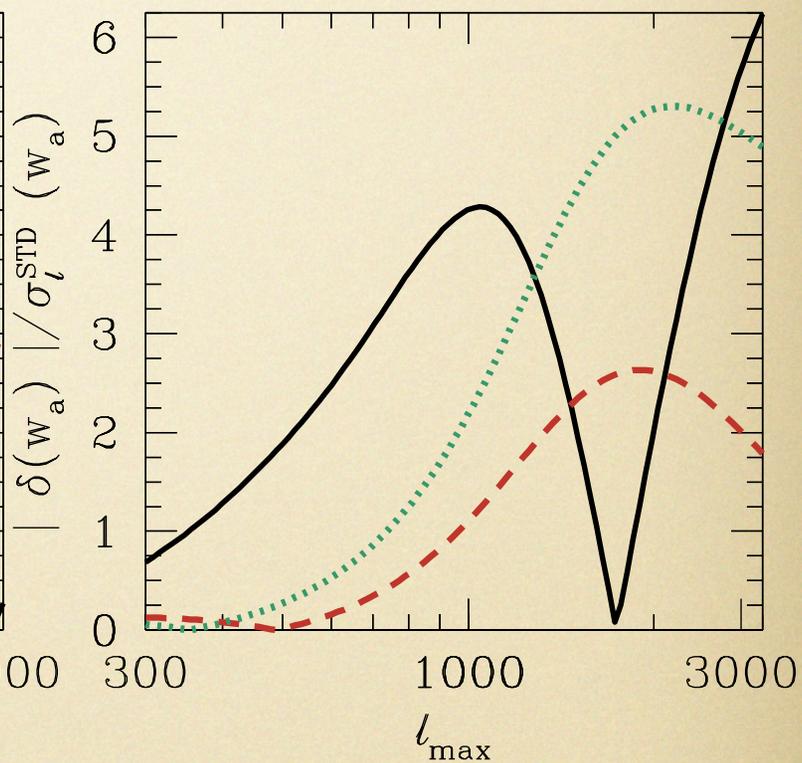
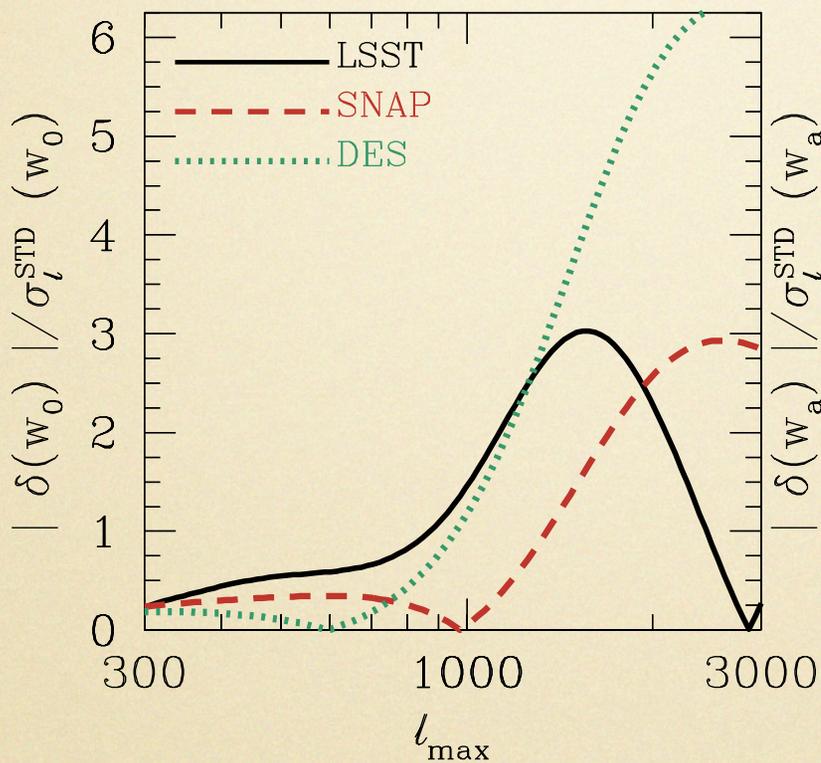
Including Baryons!



- Baryons alter predictions significantly at large multipoles

DE Parameter Bias

Parameter Bias Relative
to Statistical Uncertainty

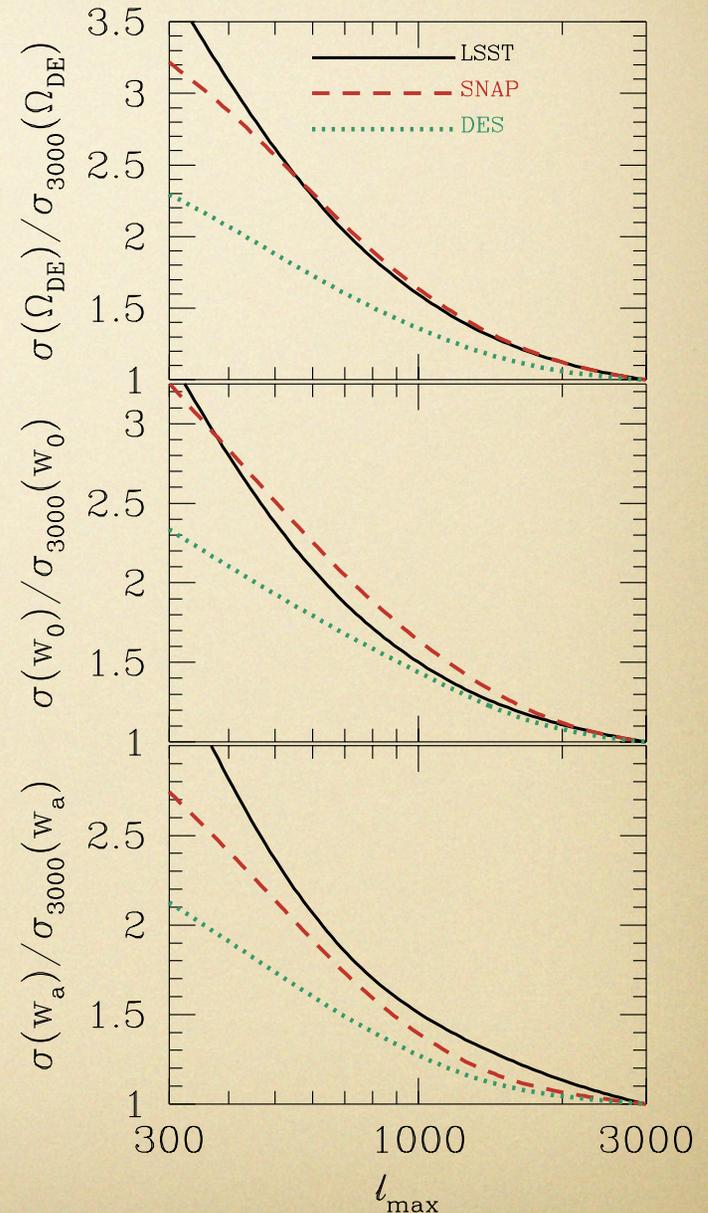


Maximum Multipole
Under Consideration

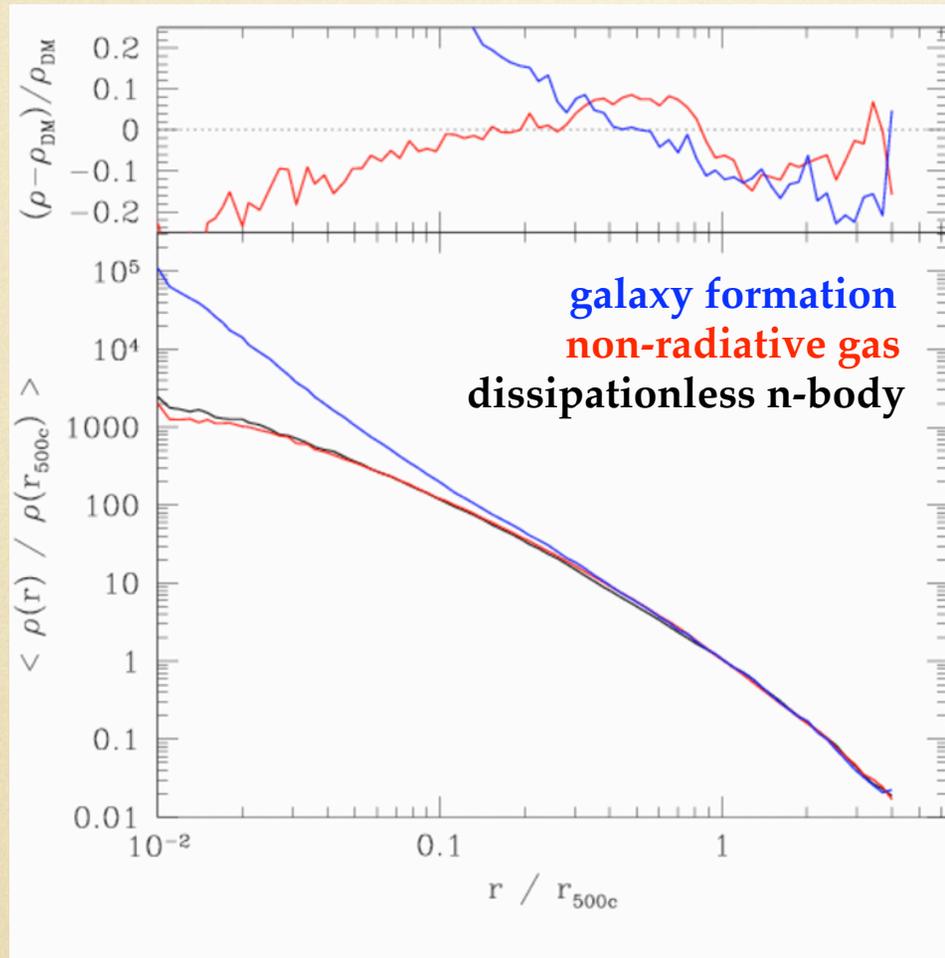


Excise Small-Scale Information

- Scaling of statistical error with maximum multipole (relative to errors at $\ell_{\text{MAX}} = 3000$)
- Removing small-scale information to eliminate bias expands statistical error by a factor of $\sim 2-4$



Halo Concentrations

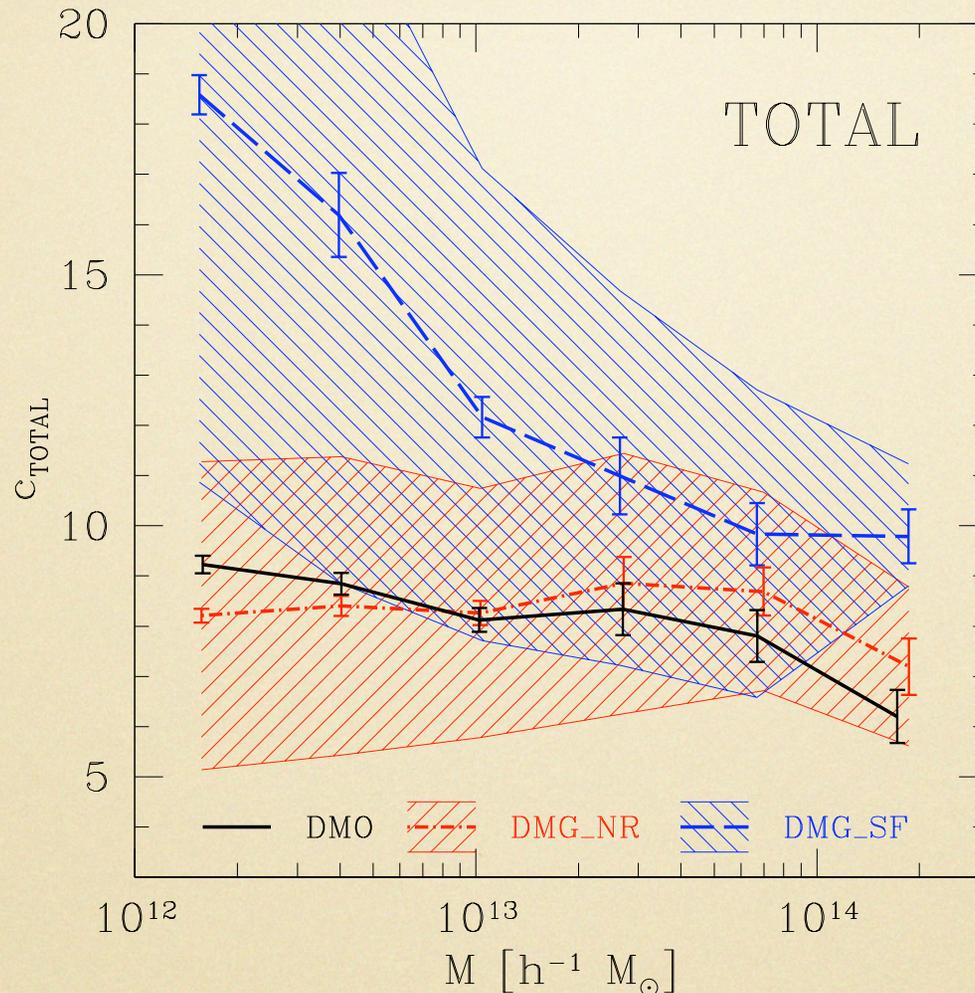


Rasia et al. 2004;
Lin et al. 2006

**& Stanek Poster Behind
You for Mass Functions ... !**

- The largest effect is due to changes in halo structure

Halo Concentrations

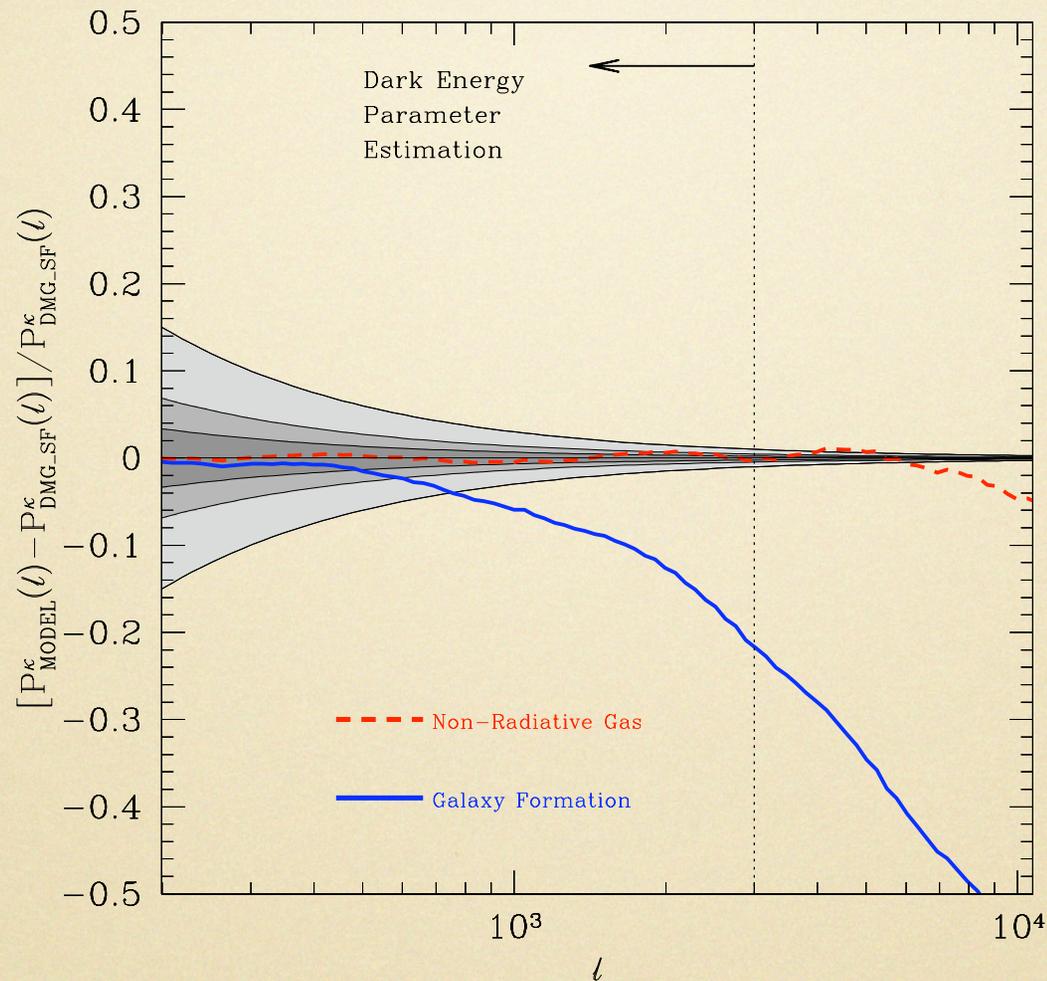


galaxy formation
non-radiative gas
dissipationless n-body

Concentrations for
total matter profiles

- The concentration-mass relation for simulated halos can be used to model the convergence power spectra

Modeling Baryons

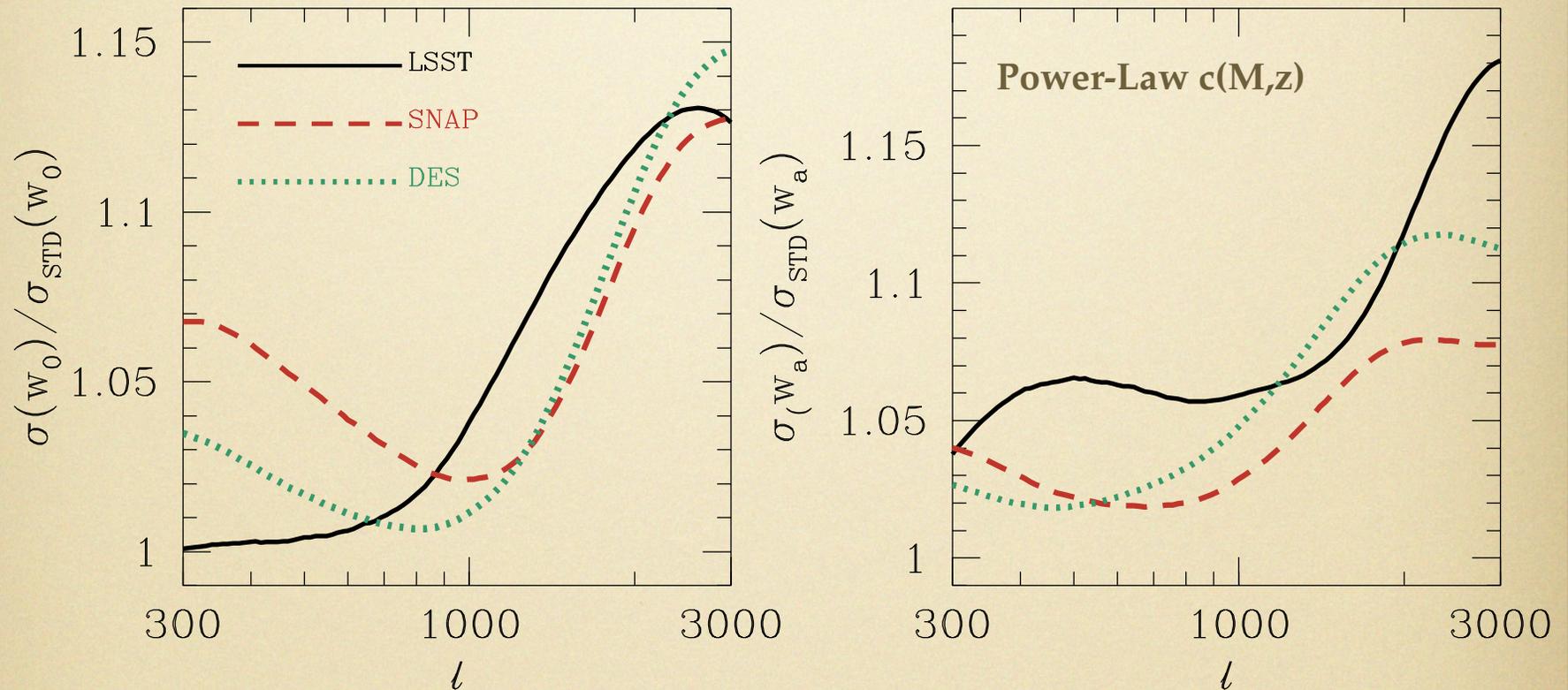


- Model reduces DE parameter biases to $< 10\%$ of statistical uncertainties

“Self Calibrate” Concentrations

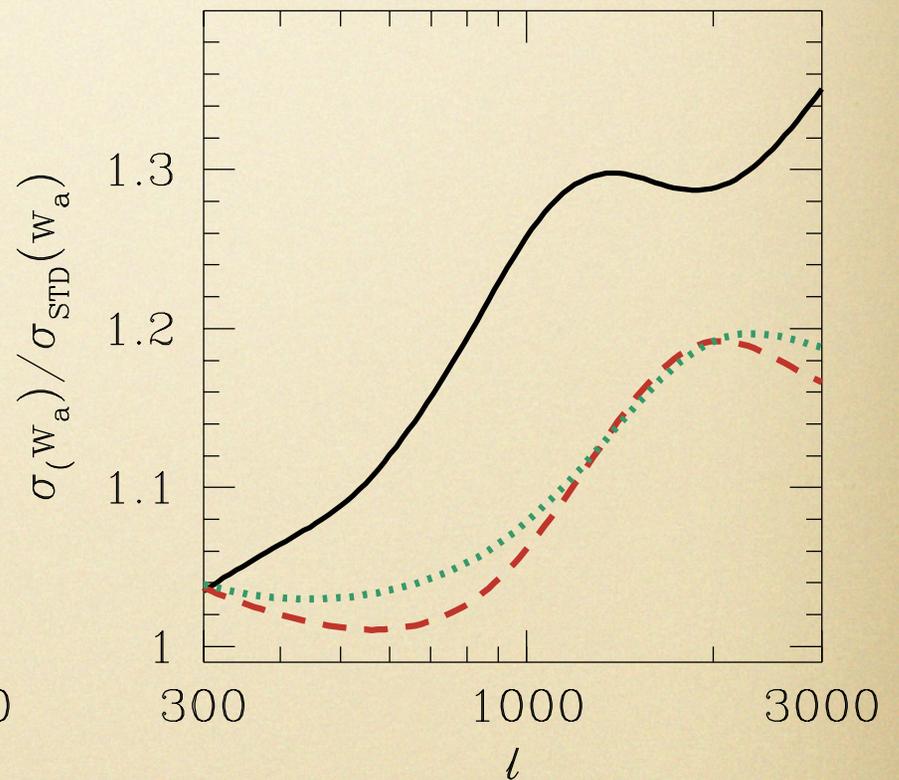
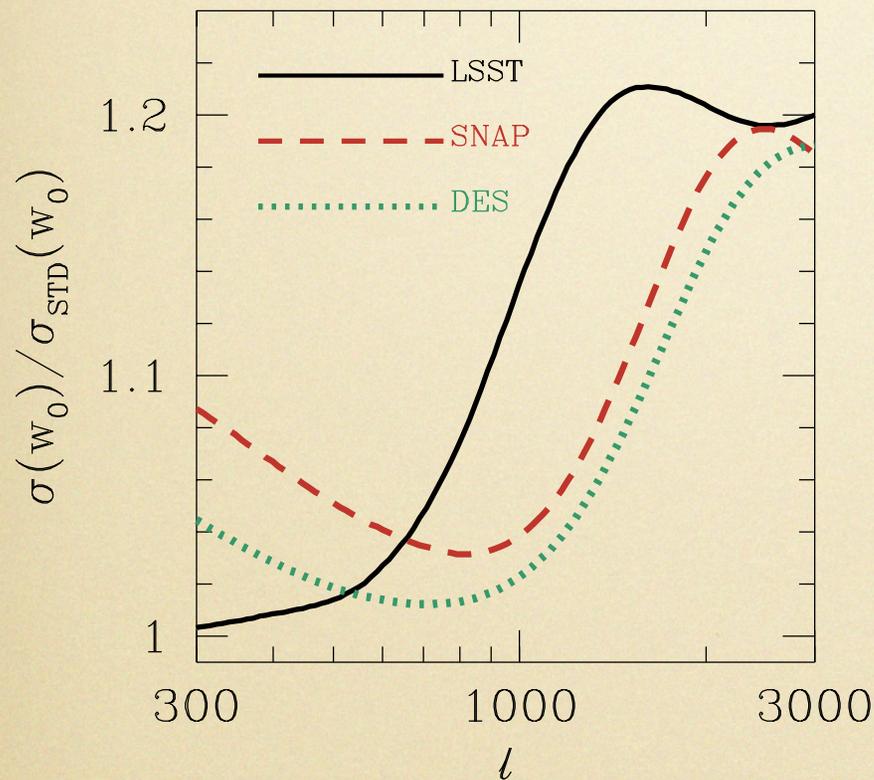
- Let the concentration-mass relation float and be determined along with cosmology
- Two Models
 - Power law: $c(M,z) = c_0 (M/M_\star)^{-\alpha}(1+z)^{-\beta}$
where $\alpha \sim 0.05$, $\beta \sim 1$ in N-body case
 - General: let $c(M,z)$ be set independently in a set of bins

Parameter Degradation with Self Calibration

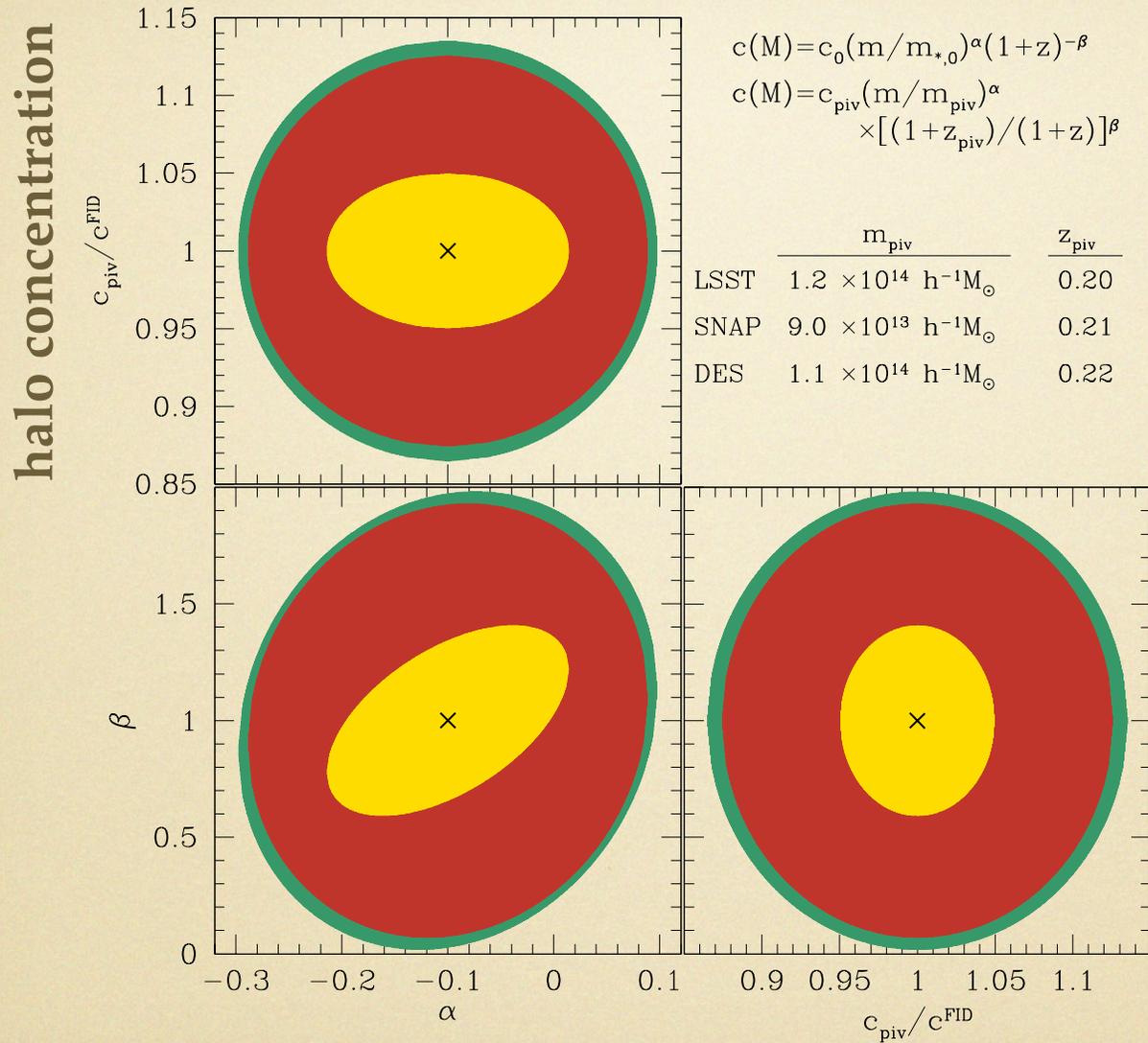


- Even in this simplistic model, self calibration drastically reduces bias yet it only slightly expands constraints

Parameter Degradation with Self Calibration



Constraints on Concentrations

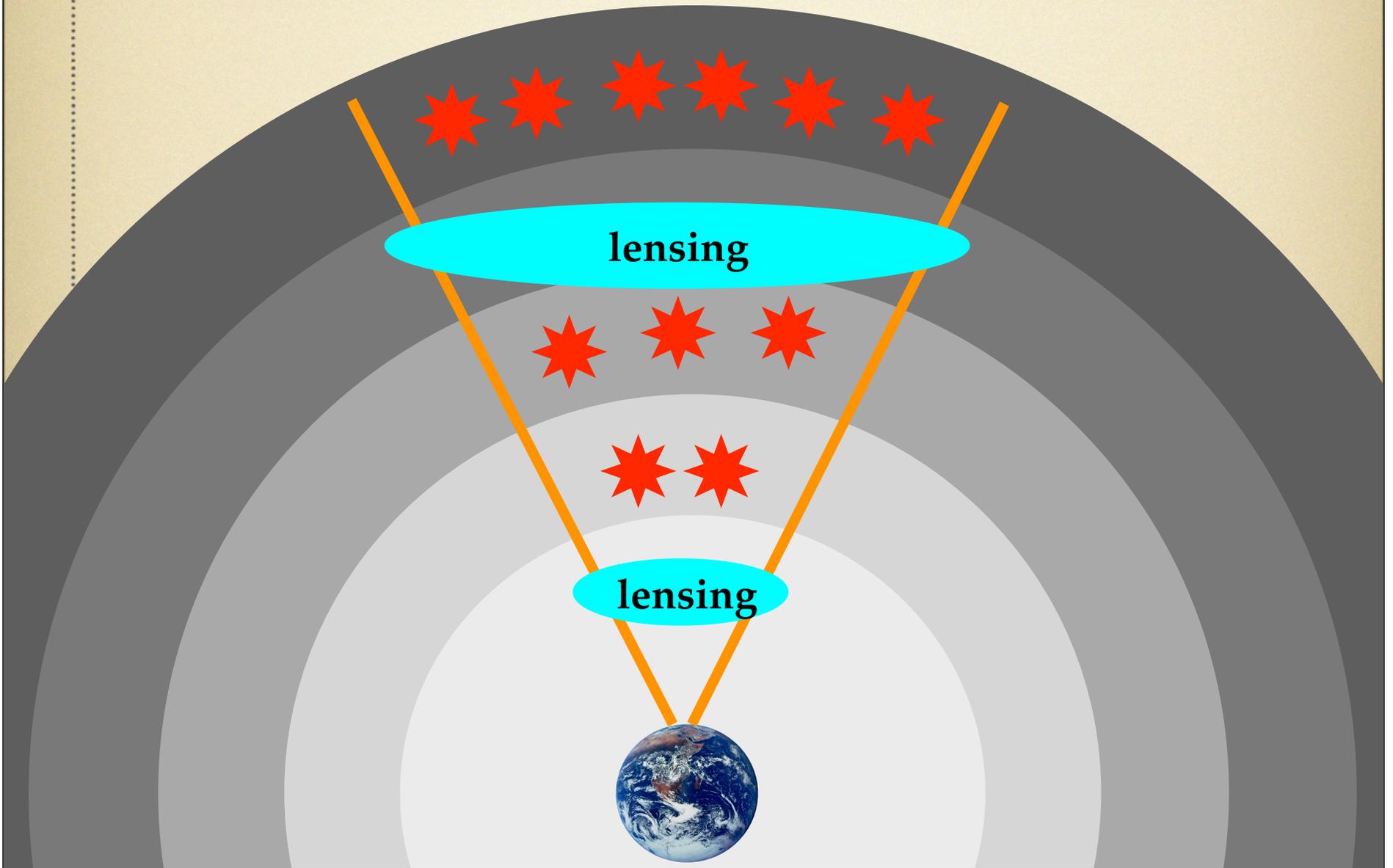


- Constraints on baryonic physics could well be at meaningful levels

In Addition ...

- Tomography is critical ...
- Priors on concentrations that are better than 30% lead to rapid improvements in DE parameters
- Galaxy correlation information will be critical
- High- ℓ information will help
- Need to consider this in much more detail

Tomography



In Addition ...

- Tomography is critical ...
- Priors on concentrations that are better than 30% lead to rapid improvements in DE parameters
- Galaxy correlation information will be critical
- High- ℓ information will help
- Need to consider this in much more detail